where A is the atomic weight and  $V_A$  the liquid atomic volume at the melting point,  $T_{m,n}$ .

Coupled with the first mentioned  $H_{\eta}$  vs. melting point relationship, i.e., Fig. 2, the viscosity of any metal with a closely packed crystal structure can be estimated without any experimental viscosity measurements by combining Andrade's above formula with the new  $H_{\eta}$  vs.  $T_{\text{m.p.}}$  relationship.

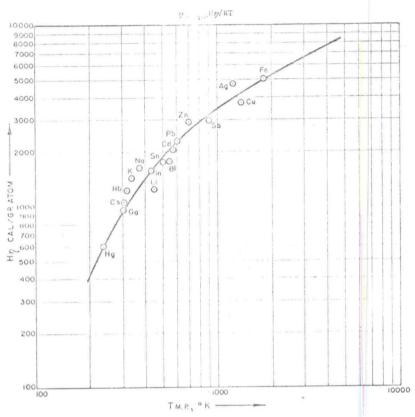


Fig. 2.— $H_{\eta}$ , activation energy of viscosity vs.  $T_{\text{m.p.}}$ 

The constant a in Andrade's simple or first formula (see p. 333) can be expressed in terms of his above  $\eta_{m,p}$ , formula.

The constant

$$a = \frac{5.7 \times 10^{-4} \cdot \sqrt{(A \cdot T_{\rm m,p.})}}{V_A^{2/3} \cdot \exp{(\Pi_{\eta}/\text{RT}_{\rm m,p.})}},$$

since at the melting point

$$\eta_{\mathrm{m.p.}} = a \cdot \exp\left(H_{\eta}/\mathrm{R} \cdot \mathrm{T_{m.p.}}\right),$$

where the symbols have been defined previously.

To illustrate how these procedures can be used to arrive at an estimated viscosity value we take the specific example of liquid *uranium*, *plutonium* and *thorium*, since no experimental data are available on their viscosities.